# Electronic Design

# Multiphase Buck Converters Enhance Pixelated Automotive

utomotive headlights don't have to provide just a fixed beam when alternatives like Valeo's PictureBeam Monolithic technology make it possible to control the intensity of light that's projected very precisely. It allows the headlamps to automatically adjust the intensity of light to highlight road signs and other objects to gain the driver's attention. Each pixel can be managed individually to adjust the light and flux accordingly. One challenge with this type of technology involves the precise control and powering of LEDs.

## Converter Topologies: From LED Strings to Pixelated LEDs

In the latest LED drivers for automotive front lighting, you generally find buck converters with currents of up to 1.5 A to drive a single LED string. The buck converter acts like a current source for one single LED string (*Fig. 1*). There are several buck converters that target different lighting functions.

Because the LED string voltages generally exceed the bat-



1. Standard solution for automotive front lighting makes use of a buck converter as the current source is controlling an LED string of up to 12 LEDs with, generally, a current below 1.5 A.



2. Solution for pixelated headlamps with a buck converter as a voltage source supplying some thousand LEDs (pixels) with total current larger than 10 A.

tery voltage  $\rm V_{IN}$ , you need a boost stage upstream. You will find this topology in all LED drivers for headlamps since they allow for the highest flexibility in LED count and LED current. The boost voltage, which is generally around 45 V, can supply up to 10 buck converters.

## **Multiphase Buck for Pixelated LEDs**

For the pixelated LED, you now need a buck converter as a voltage source with an output voltage that's slightly above the forward voltage of a single LED. Each LED has its own current control. The current seen by the buck converter, though, is much higher—it's in the range of 10 A or more as you sum up some thousand paralleled LEDs or pixels (*Fig. 2*).

Instead of designing a buck converter with a single coil in that range (*Fig. 3*), one possible solution is to use several





4. Multiphase buck with one master and one slave to control the output voltage.

buck phases.

As a result, we can benefit from the cost advantage of "high runner" coils and keep the reflow process for SMD instead of selective soldering of "pin through hole" components like big power coils.

Multiphase reduces ripple (current and voltage), and therefore reduces RMS currents in the input filter. The number of buck phases can be scaled to fit to the power needed by the application and allows for heat spreading over the available PCB area. Converter ICs exist with integrated switches, the feedback, and protection function and are ready to be used in multiphase systems.

In that case, one IC is the master (MS) (*Fig. 4*). It ensures the closed loop and controls the slave (SL) by the control voltage  $V_{\rm C}$ , which sets the peak current of the coil current. Therefore, the master will set the same peak current for each phase. In practical implementations, the phases are shifted over time to avoid the switching of all phases at the same time.

#### Stability with Small-Signal Model

Stability must be studied for all types of closed-loop systems. Lots of literature exists on how to do this with a smallsignal model of a buck converter.

An alternative approach is to use powerful tools like SIM-PLIS. It allows you to get the ac simulation, without the need to create a small circuit model of the converter. We can nearly draw the schematic as is and launch an ac simulation, ultimately obtaining the bode plot of the transfer function of

 $\xrightarrow{V_{c,s}} PS_{s}(s)$ 

Buck converter with its power stage, inductor, output capacitor, and load. the power stage (PS).

But, unlike a small-signal model, it's difficult to understand where the poles and zeros originate. Many publications discuss different small-signal models, but only singlephase versions. This article treats the case of several phases by extending the existing small-signal model to multi-phase.

In our case of fixed-frequency current-mode control with the switching period  $T_S$ , Raymond B. Ridley<sup>1</sup> developed the control-to-output function, which shows the relation between the control voltage and the output voltage :

$$\frac{v_o}{v_c} \simeq \frac{R}{R_i} \times \frac{1}{1 + \frac{RT_s}{L} (m_c D' - 0.5)} \times F_p(s) \times H_e(s)$$

*Figure 5* is a graphical representation of the PS with its inductor, load, and capacitor. PS includes the current-sensing gain  $R_i$  for the current control, the slope compensation by the external slope  $S_e$ , and the natural slope  $S_n$ .

Here,  $m_c$  is defined as  $m_c = 1 + (S_e/S_e)$  and D' = 1 - D, with D as the duty cycle of the converter.

The power stage also contains the "sampling" effect modeled by  $H_e(s)$ , created by the fact that the converter "samples" the inductor current with the switching frequency  $f_s$ .

As a result, the transfer function consists of:

- A first part, which is the dc gain.
- A second part *F<sub>p</sub>*(*s*) that contains the power stage at given output load and capacitor.
- A third part  $H_e(s)$  that models the sampling effect.

We now add a second identical phase to analyze the impact on the system (*Fig. 6*). The load and output capacitor remain unchanged. If we want the same output voltage, this also means that the control voltage must be different. It's now named  $v_{cn}$ .

Each phase of the converter now delivers half of the output current. Even if both power stages are identical to *Figure 5*, their small-signal model is not, as each sees only half the output current. That's why they are labeled PS'(s).



6. Buck converter with two phases; output capacitor and load are unchanged.



*Figure 6* can be drawn differently by splitting the load without changing anything for each phase of the converter. Each phase still delivers half of the output current at the output voltage (Fig. 7).

We can now apply Ridley's control-to-output function and extend from 2 to phases

and replace *R* with *nR*, *C* with C/n, and  $R_C$  with  $nR_C$ .

The static gain is modified with *R* replaced with *nR*, therefore:

$$\frac{R \times n}{R_i} \times \frac{1}{1 + \frac{R \times n \times T_s}{L} (m_c \times D' - 0.5)}$$

The transfer function  $F_p(s)$  is impacted; even if in the numerator n cancels out, the pole  $\omega_p$  is affected:



7. Buck converter with two phases; output capacitor and load are split.

$$F_{p,n}(s) = \frac{1+s \times R_C \times C}{1+\frac{s}{\omega_{p,n}}} , \ \omega_{p,n} = \frac{1}{C \times R} + \frac{T_S}{L \times C/n} (m_c \times D' - 0.5)$$

 $H_p(s)$  isn't affected—it depends only on the switching frequency.

So, we now have deduced the new control-to-output function when paralleling *n* phases:

$$\frac{v_o}{v_{c,n}} \simeq \frac{R \times n}{R_i} \times \frac{1}{1 + \frac{R \times n \times T_S}{I} (m_c \times D' - 0.5)} \times F_{p,n}(s) \times H_e(s)$$

#### Checking with SIMPLIS

We can do some checks by comparing the control-to-output transfer function with the SIMPLIS model and sweeping some parameters, for instance the output current  $I_{O}$ .

We sweep from 1 to 10 A, which means that we change *R* in the transfer function. As expected, this influences the dc gain and the pole of  $F_P(s)$  (*Fig. 8*). The dc gain drops from 27 dB to 14 dB and the pole moved from 800 Hz to 3.3 kHz. Obviously, the small-signal and SIMPLIS transfer functions perfectly match up to half the switching frequency. The fact that, for frequencies above half the switching frequency, both models don't match anymore is due to the

simplified modelization of the sampling effect by  $H_e(s)$ . As detailed in Ridley's book,<sup>1</sup> this was a conscious choice to reduce the complexity of the model.

We can repeat this check by changing another parameter: Triple the number of output caps ( $C_O$ ). From the transfer function, we can deduce that the dc gain will remain unaffected, only the pole of  $F_P(s)$  will change. This is confirmed by the image in *Figure 9*. The pole moved from roughly 2 kHz to 600 Hz. We can see that the small signal

8. Bode plot of a four-phase buck converter for 1-A (blue) and 10-A (red) output current. The SIMPLIS and Small Signal Simulation completely match until 250 kHz (half the switching frequency).



9. Bode plot of a four-phase buck converter with the nominal number of output caps (blue) and tripled number of output caps (red).

and SIMPLIS transfer functions perfectly match until half the switching frequency.

#### Conclusion

By changing some parameters, we showed that the SIM-PLIS model and the small signal give exactly the same results, validating the multi-phase model derived from Raymond B. Ridley's one-phase model. We can therefore use the multiphase small-signal model to have a better insight of the converter during the design phase, as we know how each system parameter will impact the transfer function.

### Reference

1. <u>https://ridleyengineering.com/education/books/books-</u> <u>current-mode-control.html</u>